

Light Source Beam Stabilization: Earlier Times

R. Hettel
2018 BES Light Sources Stability Workshop
LBNL
November 1, 2018



1 μm

TABLE II. Relationship of photon and electron parameters (approximate, with constant lattice Twiss parameters; γ_z is Twiss parameter; N_u = number of undulator periods; n = undulator harmonic number).

Photon parameter	Relationship to electron parameters
1. Size at L	$\sigma_{\text{ph}}(L) = [\sigma_e^{-2} + \sigma_{\text{diff}}^2(\lambda) + (L\sigma'_{\text{ph}})^2]^{1/2}$ (unfoc) $\sigma_{\text{ph}}(L) = \sigma_{\text{ph}}(0)$ (1:1 foc) $\sigma_{\text{diff}}(\lambda) = \lambda/[4\pi\sigma'_\psi(\lambda)] \quad \sigma_e = [\epsilon\beta(s) + (\eta(s)\delta E/E)^2]^{1/2}$
2. Divergence at L	$\sigma'_{\text{ph}}(L) = \sigma'_{\text{ph}}(0) = [\sigma'_e{}^{-2} + \sigma'_\psi{}^2]^{1/2}$ (unfoc) $\sigma'_{\text{ph}}(L) = -\sigma'_{\text{ph}}(0)$ (1:1 foc) $\sigma'_e = [\epsilon\gamma_z + (\eta'\delta E/E)^2]^{1/2} \quad \epsilon \propto E^2$ $\sigma'_\psi \propto \gamma_e^{-1}$ (dip wigg) $\sigma'_\psi \propto \gamma_e^{-1}(nN_u)^{-1/2}$ (und)
3. Position at L	$\Delta y_{\text{ph}}(L) = \Delta y_e + L\Delta y'_e$ (unfoc) $\Delta y_{\text{ph}}(L) = \Delta y_e$ (1:1 foc) $\Delta y_e - (\Delta E_e) = \eta\Delta E_e / E_e$
4. Angle at L	$\Delta y'_{\text{ph}}(L) = \Delta y'_e$ (unfoc) $\Delta y'_{\text{ph}}(L) = -\Delta y'_e$ (1:1 foc) $\Delta y'_e - (\Delta E_e) = \eta'\Delta E_e / E_e$
5. Critical freq/undulator harm	$\omega_c \propto E_e^{-2}$ (dip) $\omega_c \propto E_e^{-2}[1 - (\theta\gamma/K)^2]$ (wigg), θ = horiz view ang $\omega_n \propto nE_e^{-2}/[1/2 + K^{-2} + (\theta\gamma/K)^2]$ (und) K/γ = ID deflect ang
6. Energy/freq resolution	$\Delta E_{\text{ph}}/E_{\text{ph}} = \Delta y'_{\text{ph}}/\theta_B$ (xtal mono; $\theta_B = \sim 90$ – 900 mrad) $\Delta\omega_n/\omega_n = 1/nN_u$ (undulator)
7. Spectral flux density	$dF(\omega)/d\theta \propto E_e I_e S(\omega/\omega_c)$ (dip, wigg on-axis; $S(\omega/\omega_c)$ in Fig. 3) $dF(\omega_n)/d\psi d\theta \propto I_e / \sigma_{\text{ph}}^2(\omega_n)$ (und, on-axis) $F(\omega)$ = photons/s/unit freq BW; $I_e = e^-$ curr
8. Bunch length	$\sigma_r(\alpha/\omega_z)\delta E_e / E_e$ α = moment. compact, ω_z = synchrotron freq
9. Bunch time osc	$\Delta t_b = \Delta\phi/\omega_{\text{rf}} = (\alpha/\omega_z)\Delta E_e / E_e$ ω_{rf} = rf frequency

SRI 2001

Source Stability Relationships

Can derive basic some basic relationships experimental observables and beam properties based simple (1st-order) dependencies (-- = 2nd order):

parameters	e- orbit	e- size/ rotation	e- energy/ energy spread (& RF stability)	ID field (esp EPUs)
intensity (pointing, beam size, emission)	X	X	X	X
energy and energy resolution	X	X (dispersive monos)	X	X
timing, bunch length	-- (pseudo 1-bunch?)	X	X	--
polarization	X (dipole, EPU)	--	--	X
coherent fraction	--	X	X ID high harmonics	--

Not included: accelerator lattice stability, lifetime stability, other

Beam Stability Requirements - Summary

SRI 2001

Parameter	Present	Future trend
intensity stability	< 0.1%	< 0.01%
steering accuracy	< 5-10% $\sigma_{e-}, \sigma'_{ph}$	< 2% $\sigma_{e-}, \sigma'_{ph}$
beam size stability	< few % σ_{ph}	~ 0.1% σ_{ph}
energy resolution	10^{-4}	10^{-5}
timing stability	< 10% bunch length	< 10% bunch length
min data avg time	order 1 ms	order 1 μ s (ring) single shot (FEL)
emittance	~5-20 nm-rad	~0.05-0.2 nm-rad
e- beam size (vert)	~30-300 μ m	~3-30 μ m
ph beam divergence	~10-200 μ rad	~0.5-10 μ rad
e- bunch length	~10-100 ps	1-100 fs (FEL)
e- position stability (vert)	~1-5 μ m	~0.1-1 μ m
e- angle stability	~1-10 μ rad	~0.05- 0.5 μ rad
e- bunch length stability	~1-10 ps	~10-100 fs (FEL)
e- energy stability	< 10^{-4} ($\Delta\phi < 0.1^\circ$)	< 5×10^{-5}

Some Electron Orbit- and Size-Perturbing Mechanisms

Long term (weeks-years):

- ground settlement (mm)
- seasonal ground motion (< mm, sometimes more)

Medium term (minutes-days):

- diurnal temperature (1-100 μm)
- river, dam activity (1-100 μm)
- crane motion (1-100 μm)
- machine fills (heating, BPM intensity dependence)
- fill patterns (1-100 μm)
- RF drift (microns)
- coupling changes
- gravitational earth tides ($\Delta C = 10\text{-}30 \mu\text{m}$)

Short term (milliseconds-seconds):

- ground vibration, traffic, trains, etc. (< microns, <50 Hz typ)
ground motion amplified by girder + magnet resonances ($x \sim 20$ if not damped) and by lattice ($x \sim 5+$)
 \Rightarrow nm level ground motion can be amplified close to μm level
- cooling water vibration (microns)
- rotating machinery (air conditioners, pumps) (microns)
- booster operation (microns)
- insertion device changes (1-100 μm)
- power supplies (microns)
- vac chamber vibration from BL shutters, etc. (microns)

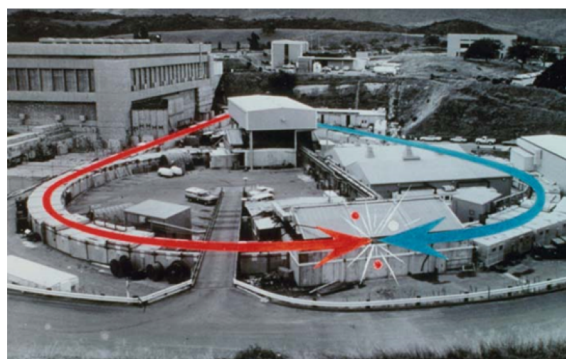
High frequency (sub-millisecond):

- high frequency PWM and pulsed power sources (microns)
- synchrotron oscillations (1-100 μm)
- single- and multibunch instabilities (1-100 μm)
- gas bursts, ions, dust,

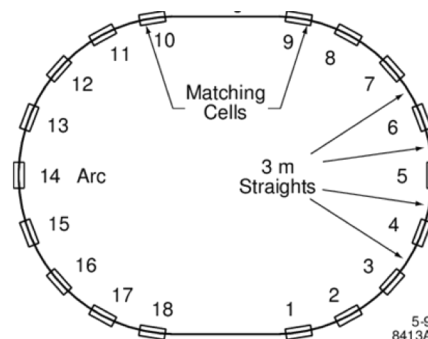
SPEAR I and II



1970



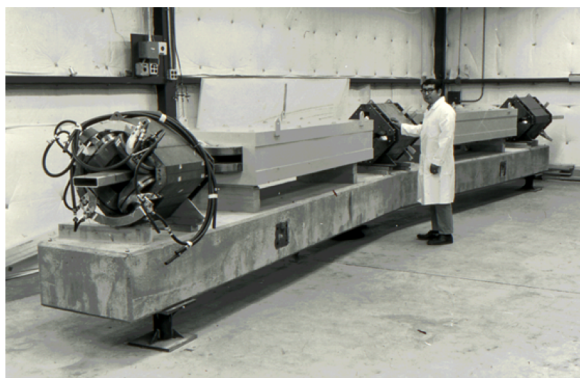
1971



SPEAR II FODO, dispersion in straights

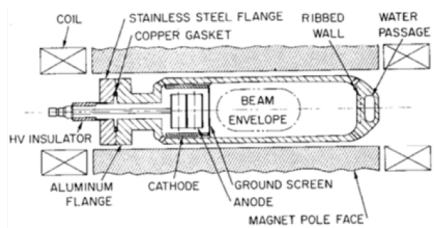


Herman Winick and his wiggler

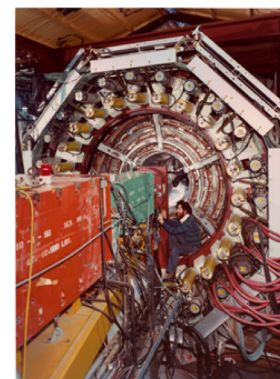


Vcorr: trim windings on solid core quads

Hcorr: trim windings on solid core dipoles



15.6 cm x 4.4 cm Al chamber, 0.39 cm wall thickness



MK I (II?) detector in pit, 1978



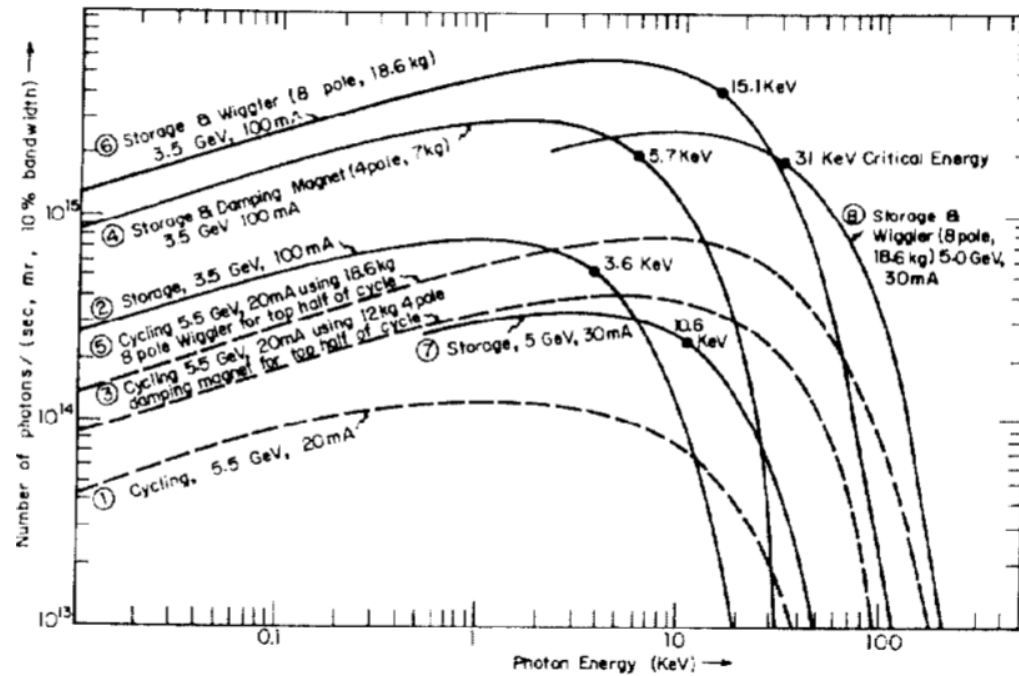
Burt Richter giving SPEAR to Artie Bienenstock and SSRL

SYNCHROTRON RADIATION AT THE CAMBRIDGE ELECTRON ACCELERATOR*

Herman Winick

Cambridge Electron Accelerator
Harvard University and Massachusetts Institute of Technology
Cambridge, Mass.

1972



Spectral photon distribution of synchrotron radiation from CEA. Curves ① ② ③ ④ indicate present capabilities with existing damping magnets. Curves ⑤ ⑥ show capabilities that will result when a new wiggler magnet is built and installed. Curves ⑦ ⑧ show capabilities that will result when a 5.0 GeV beam is stored.

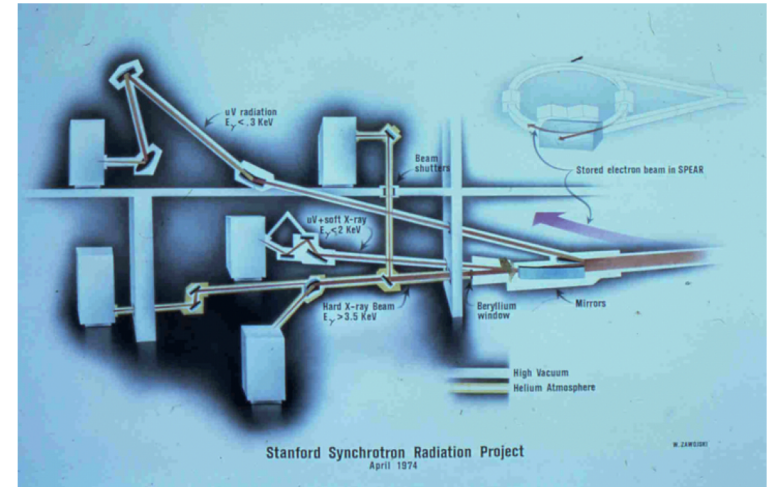
SSRP beamlines



1971

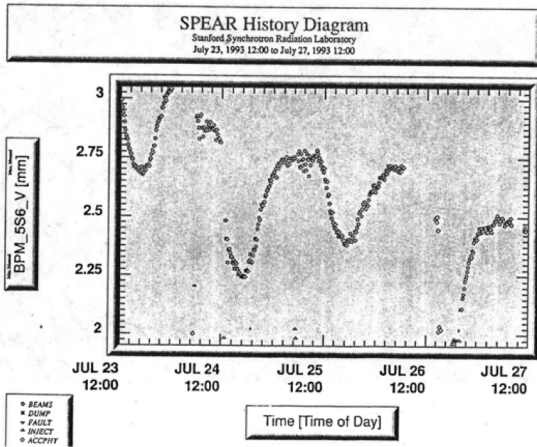
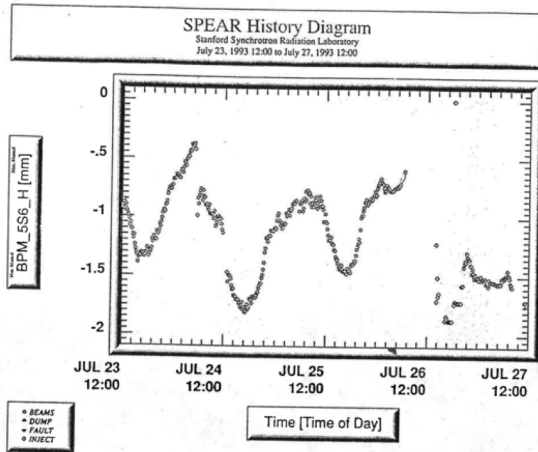


1972



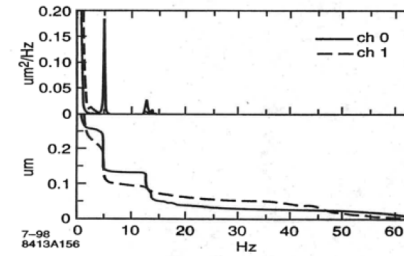
1974

SPEAR II Orbit Instability – ca 1980

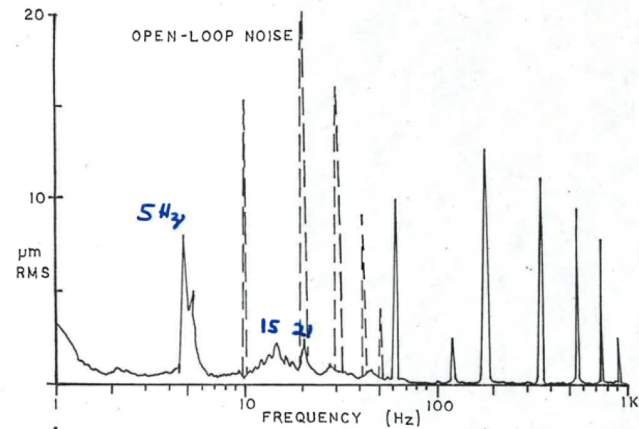


SPEAR 2 Girders

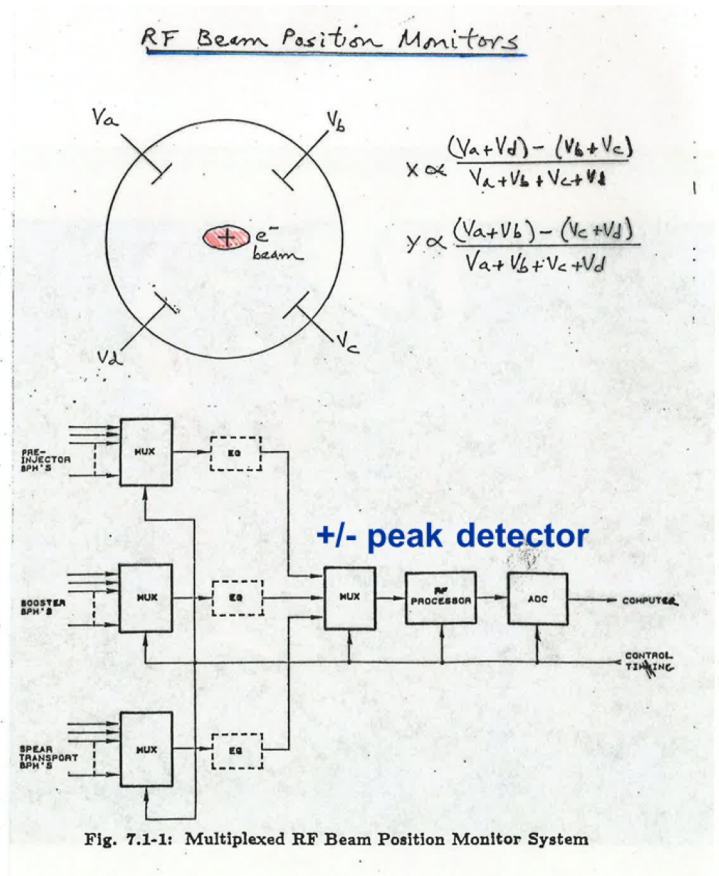
- Vibration Modes in SPEAR2 girders
 - ◆ Ground vibrations amplified by girder = $0.04 \mu\text{m rms}$
 - ◆ Vertical motion at dipoles = $.25 \mu\text{m rms}$ (6X)
 - ◆ Horizontal motion at dipoles = $.75 \mu\text{m rms}$ (19X)
- Goal: increase natural frequency to $\sim 20 \text{ Hz}$



D.Dell'Occo - SLAC, July 28-30, 1998



e-/e+ BPMs for SPEAR II – ca 1980

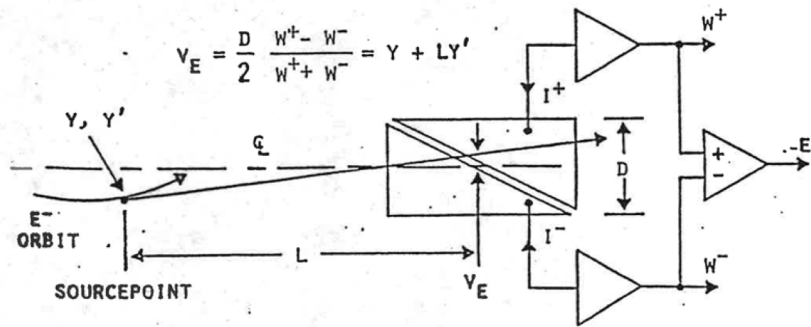


Orbit correction:

- Harmon
- MICADO (most effective corrector – ca 1973)
- Other

many seconds to
acquire an orbit

Vertical Beam Steering at SSRL – ca 1980

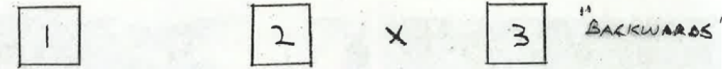


HELIUM ION CHAMBER POSITION MONITOR

BUMP CONFIGURATIONS

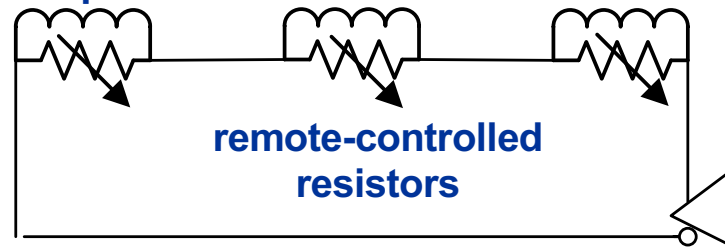


3-MAGNET



trim windings
on quad

open loop



THE PHYSICS OF ELECTRON STORAGE RINGS
AN INTRODUCTION

MATTHEW SANDS*
UNIVERSITY OF CALIFORNIA, SANTA CRUZ
SANTA CRUZ, CALIFORNIA 95060

3-MAGNET BUMP

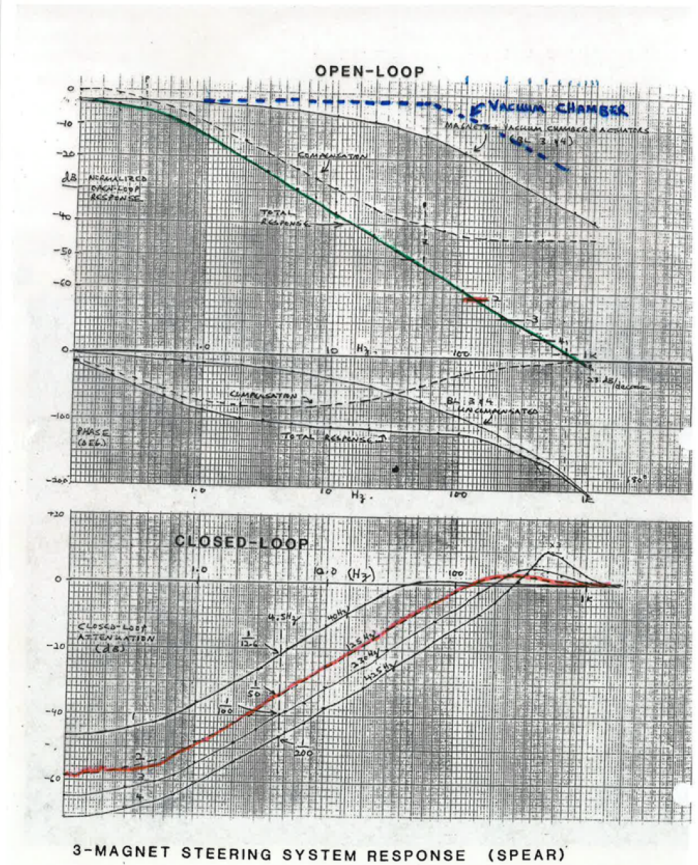
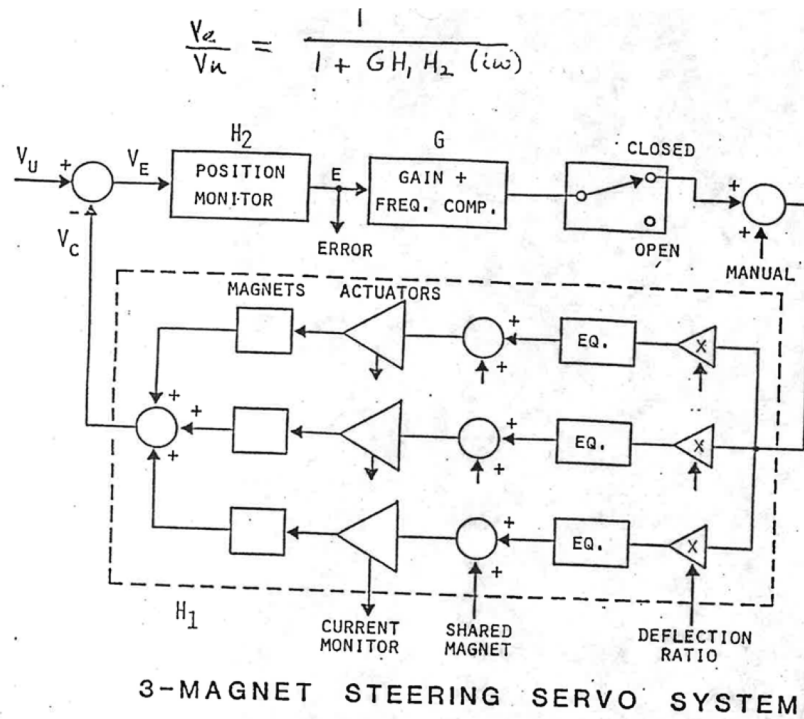
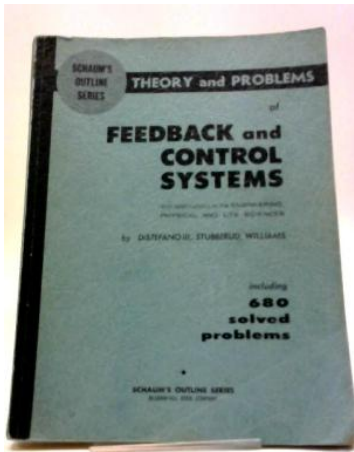
SENSITIVITY COEFFICIENTS

$$\begin{pmatrix} y_c \\ y'_c \end{pmatrix} = \begin{pmatrix} y \\ y' \end{pmatrix} \delta_1 = \begin{pmatrix} \sqrt{\beta_1 \beta_s} \sin(\psi_s - \psi_1) \\ \sqrt{\beta_1 / \beta_s} [\cos(\psi_s - \psi_1) - \alpha_s \cos(\psi_s - \psi_1)] \end{pmatrix}$$

$$\alpha_s = -\frac{1}{2} \frac{d\beta(s)}{ds} \Big|_{l=s} \quad (= 0 \text{ for SYMMETRY STRAIGHT})$$

$$\begin{pmatrix} \delta_1 \\ \delta_2 \\ \delta_3 \end{pmatrix} = \begin{pmatrix} 1 & 1 \\ -\sqrt{\frac{\beta_1}{\beta_2}} \frac{\sin(\psi_3 - \psi_1)}{\sin(\psi_3 - \psi_2)} \\ \sqrt{\frac{\beta_1}{\beta_3}} \frac{\sin(\psi_2 - \psi_1)}{\sin(\psi_3 - \psi_2)} \end{pmatrix} \delta_1$$

Speeding up Vertical Steering to Suppress 5 Hz and Closing the Loop



Vertical Steering Feedback to Suppress 5 Hz – cont.

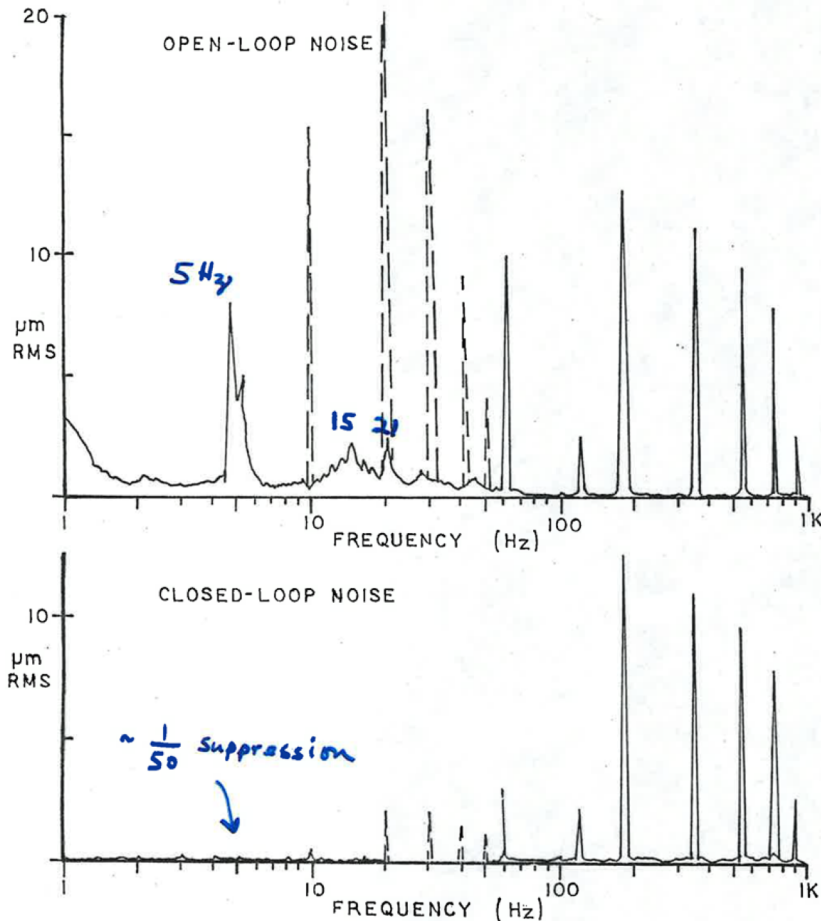
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IEEE Transactions on Nuclear Science, Vol. NS-30, No. 4, August 1983

BEAM STEERING AT THE STANFORD SYNCHROTRON RADIATION LABORATORY

R.O. Hettel

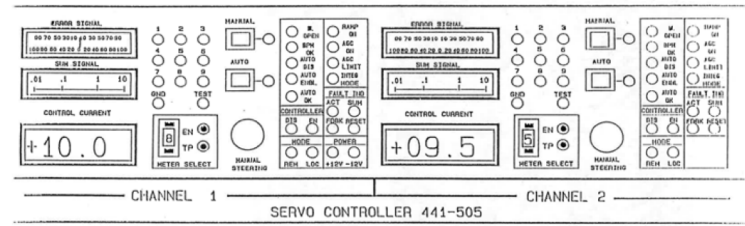
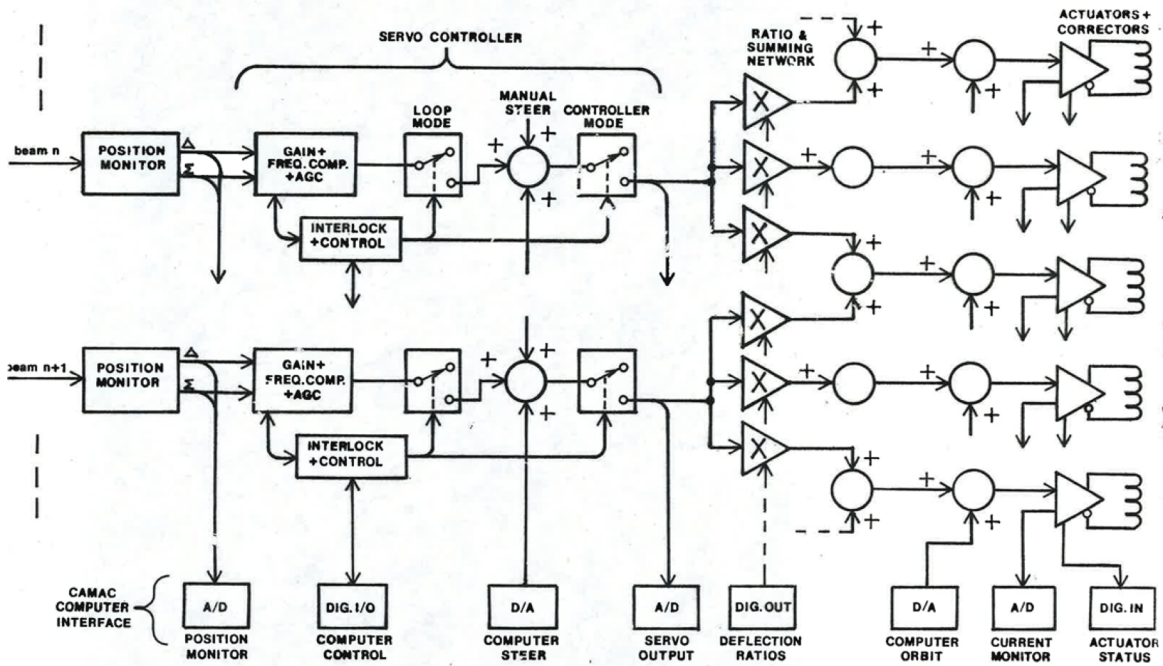
Stanford Synchrotron Radiation Laboratory (SSRL),
SLAC Bin 69, Box 4349, Stanford, CA 94305



Made Dave Moncton's experiment possible...
invited to NSLS in 1984 to implement similar
system, working with L-H Yu, J. Galayda, S.
Krinsky, R. Nawrocky, etc...

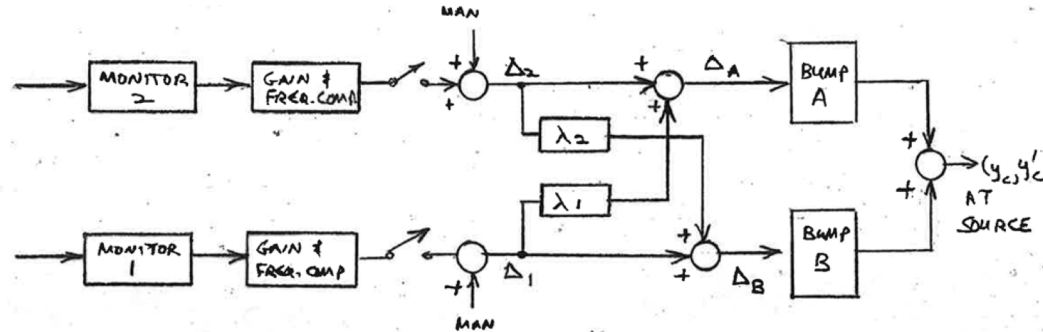
1986: Invited to Photon Factory for same purpose

Shared Magnet Steering



limit system crosstalk to few %
 more stringent decoupling required as # of lines increases
 to avoid multi-loop instability

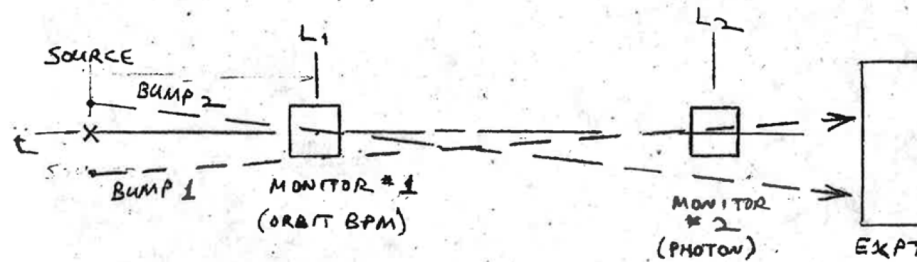
2-monitor, 4-magnet steering – ca 1986



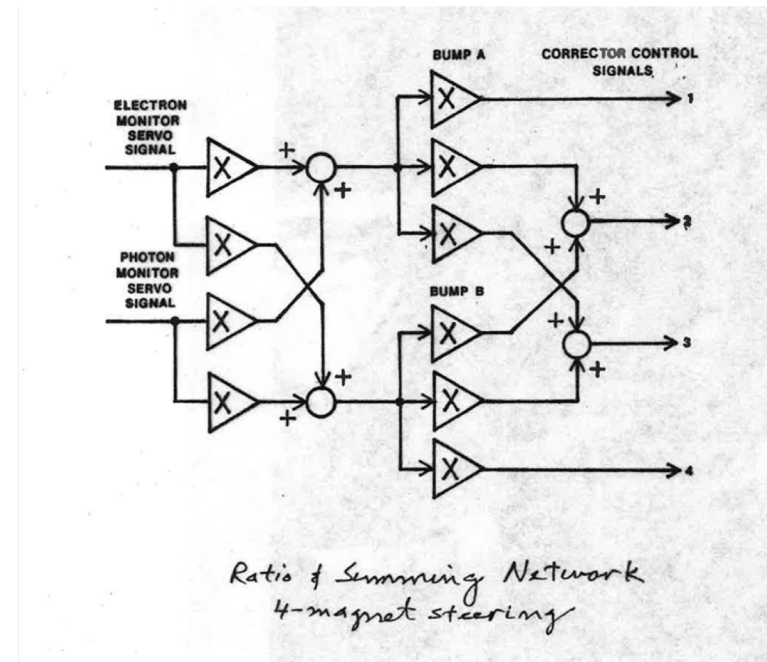
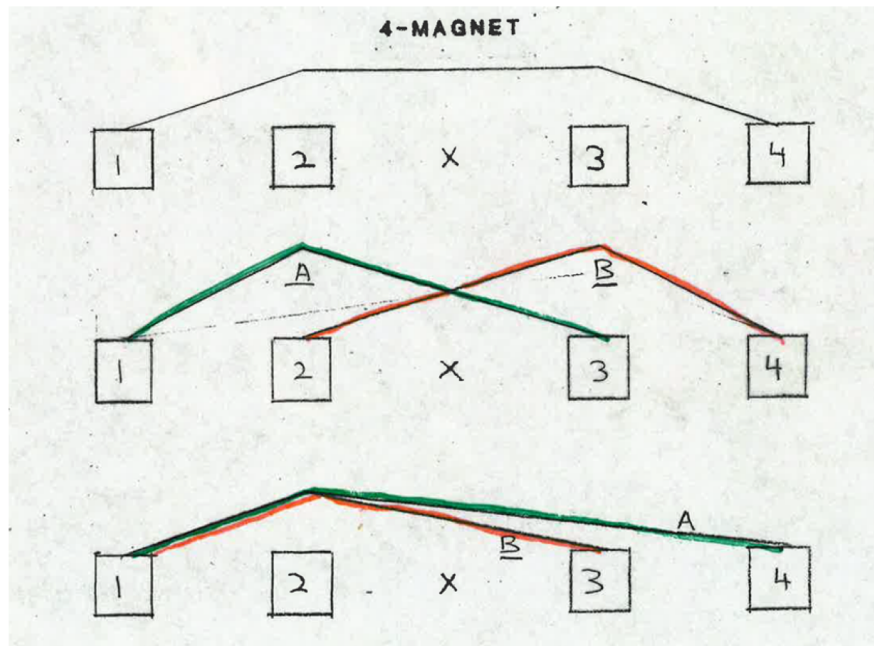
BUMP A & BUMP B ARE LINEARLY INDEPENDENT, COMPENSATED

Δ_1 DRIVES BUMP 1. THAT CAUSES NO DISPLACEMENT AT MONITOR 2.

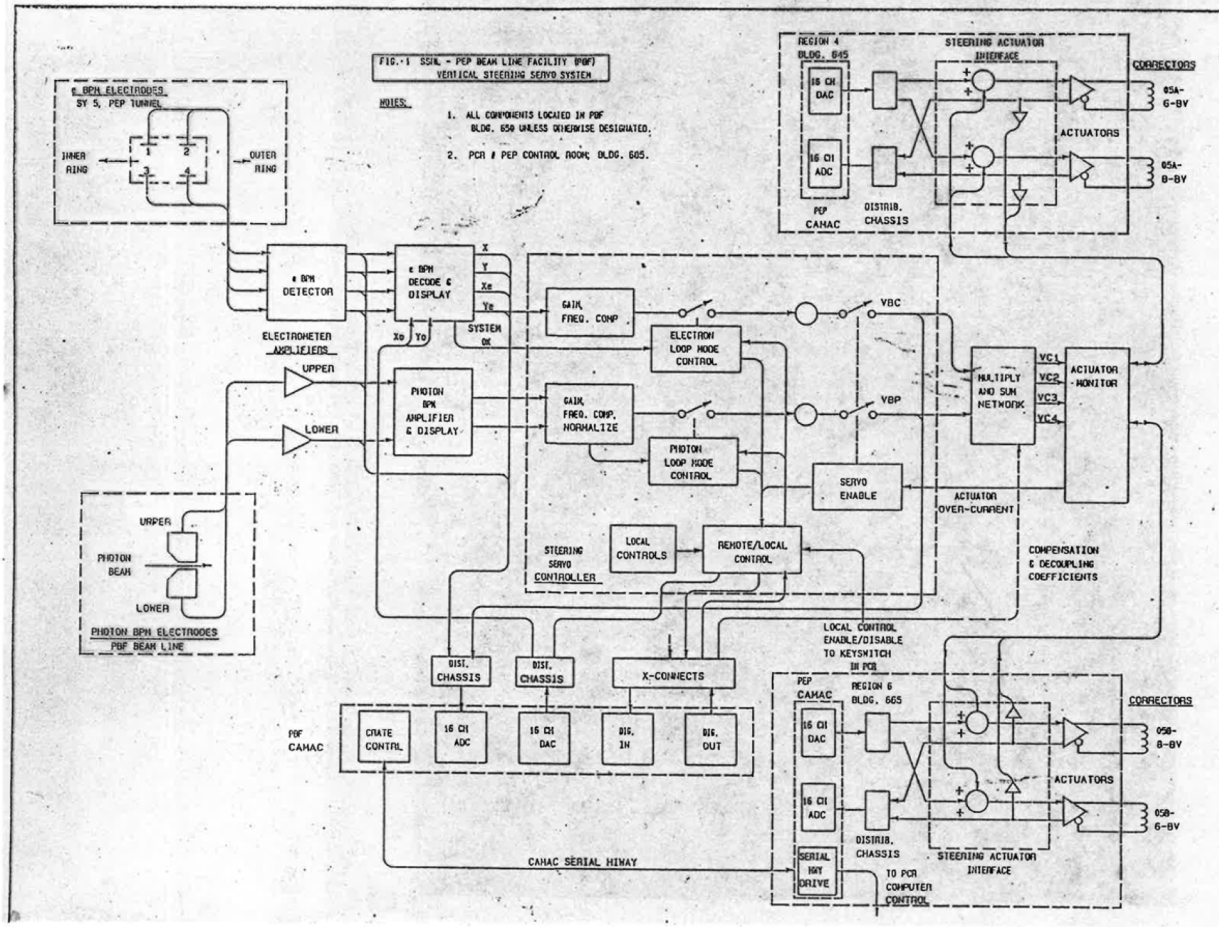
Δ_2 DRIVES BUMP 2 THAT CAUSES NO DISPLACEMENT AT MONITOR 1.



4-Magnet Bumps: Superposition of 3-Magnet Bumps

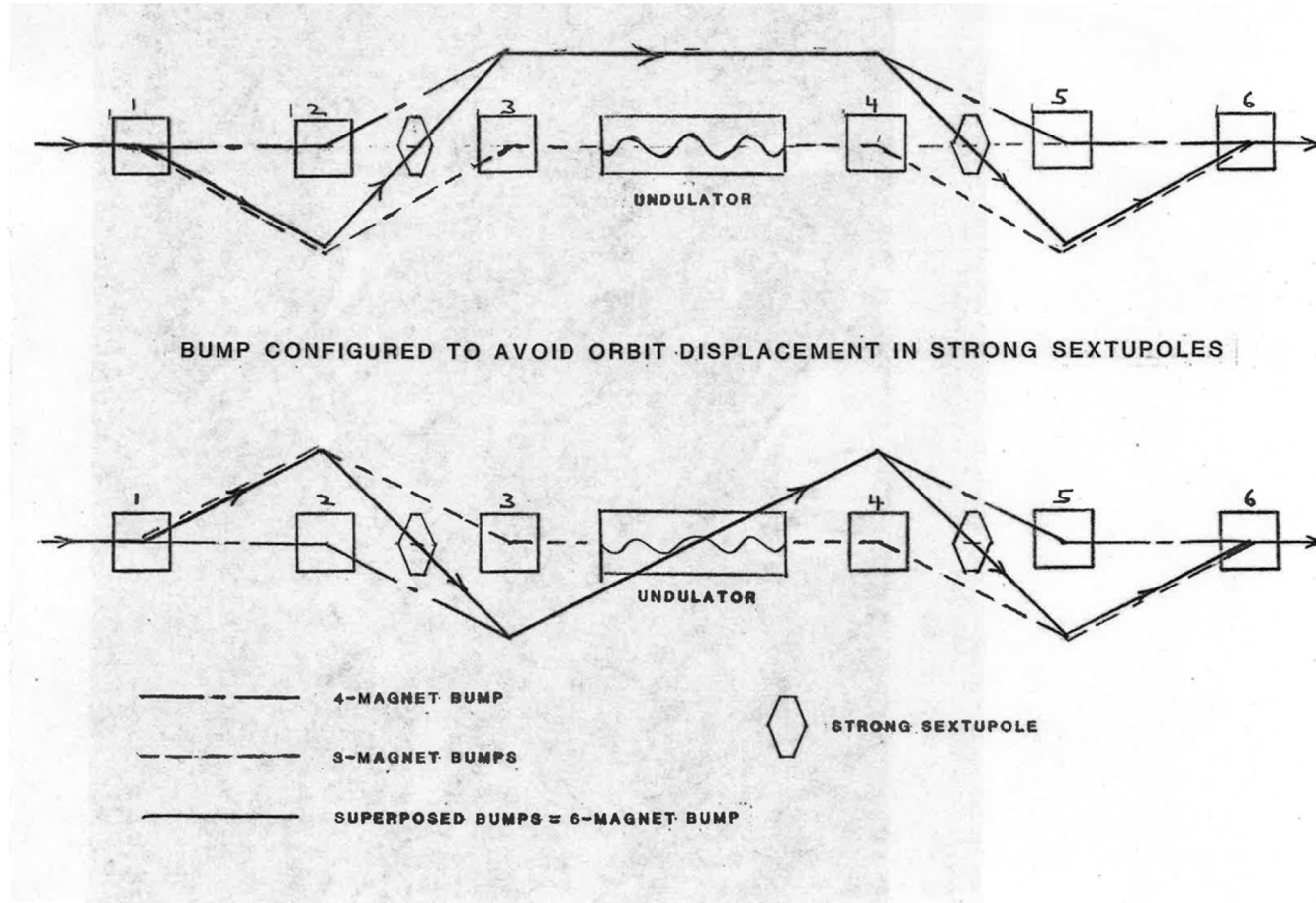


2-Monitor, 4-Magnet Feedback for PEP Beamline

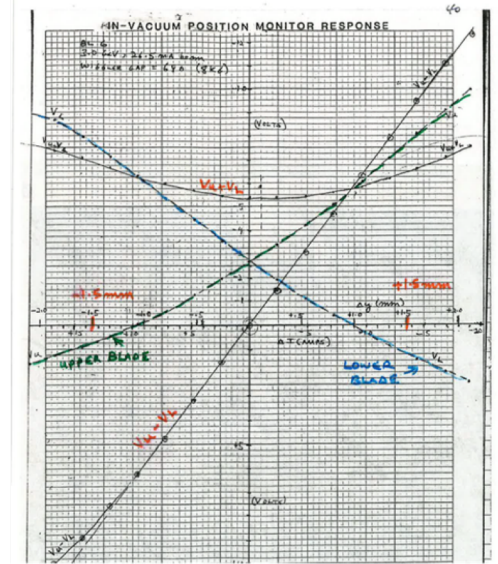
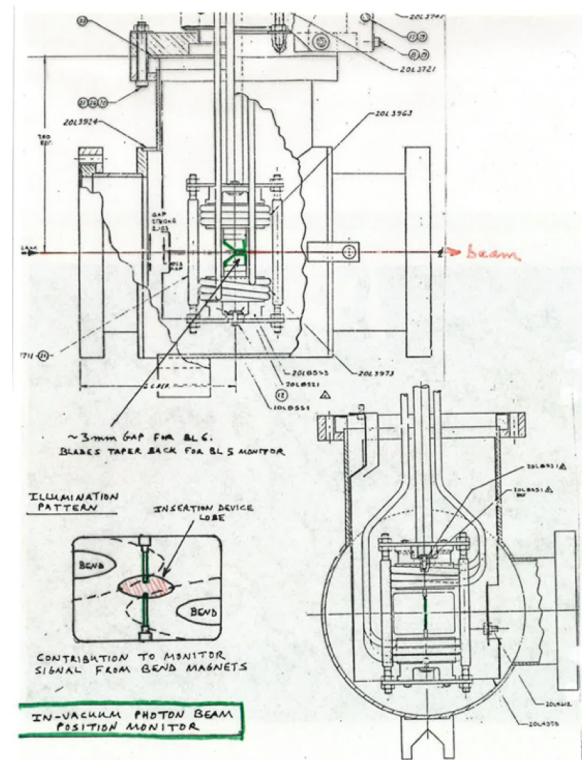
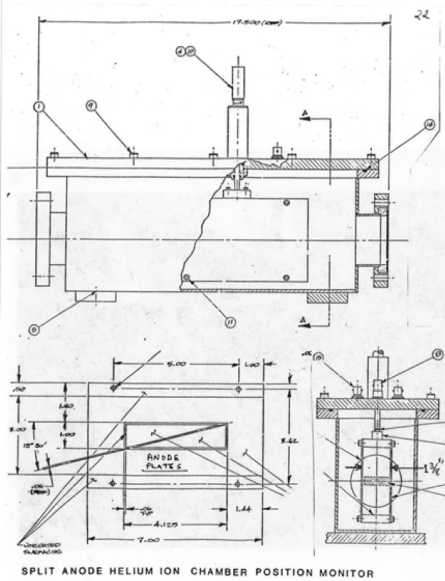


Never built because of
SPEAR Injector project
with Helmut Wiedemann

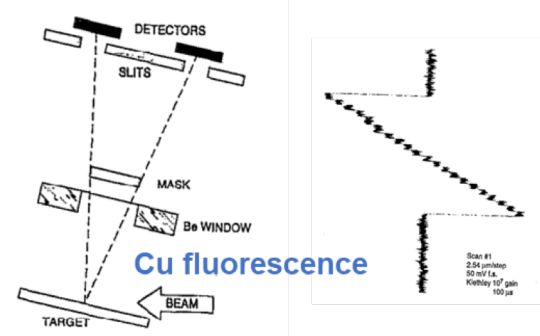
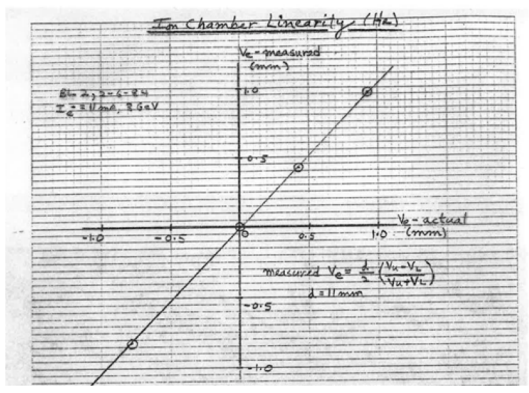
6-Magnet Bumps for PEP



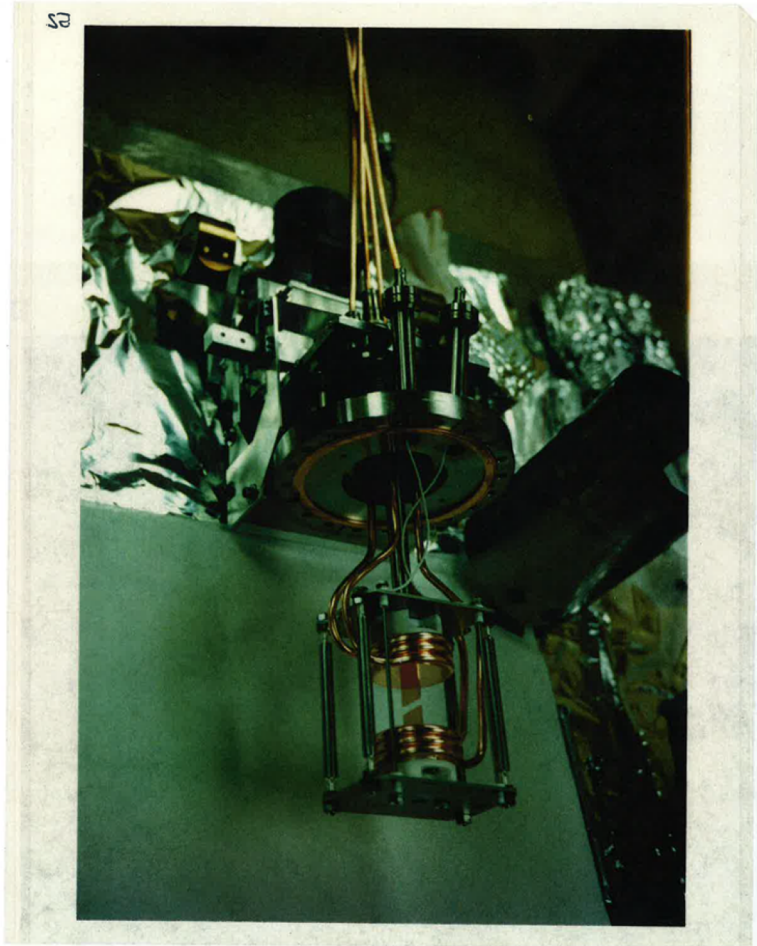
X-ray BPMs at SSRL



Photon beam position monitor for SSRL Beamline 9
 John A. Cerino, Thomas Rabedeau, and William Bowen
 Stanford Linear Accelerator Center, Stanford Synchrotron Radiation Laboratory, Stanford,
 (Presented on 19 July 1994) Rev. Sci. Instrum. 66 (2), February 1995



X-ray BPMs at SSRL – cont.



PHOTON POSITION MONITOR TYPES

1. Ion Chamber.
2. In-Vacuum blade type.
3. Other in-vacuum, photo-electron emitting devices
4. Pattern Recognizing - CCD, diode arrays, fluorescent screen + TV, transverse photon scattering, etc.

Most of these disrupt the beam.

5. Infrared Camera - look at heat pattern on Be window
6. e-/e+ Beam Position Monitors - give location of SR beam near source point.
7. Beam Chopper/Modulator (B. Chance) - vibrating reed scatters photons transversely; beam intensity profile detected with PMT. ~10% interrupt duty cycle.

Handwritten notes:
 10µm reproducibility of beam centering.
 Sub-micron resolution
 Avoid beam occlusion, reflections, asymmetries in beam line
 100µm reproducible

Green handwritten note: PIN position-sensitive diodes

SR Beam Crosssection

CENTERED POSITION

Measure Signal

Reference Signal

$\Delta\phi = 13^\circ$

→ 8 msec ←

OFFSET POSITION (1.0mm displaced)

Measure Signal

Reference Signal

$\Delta\phi = 68^\circ$

NSLS Global Harmonic Feedback

PAC '89: 1 harmonic for VUV ring

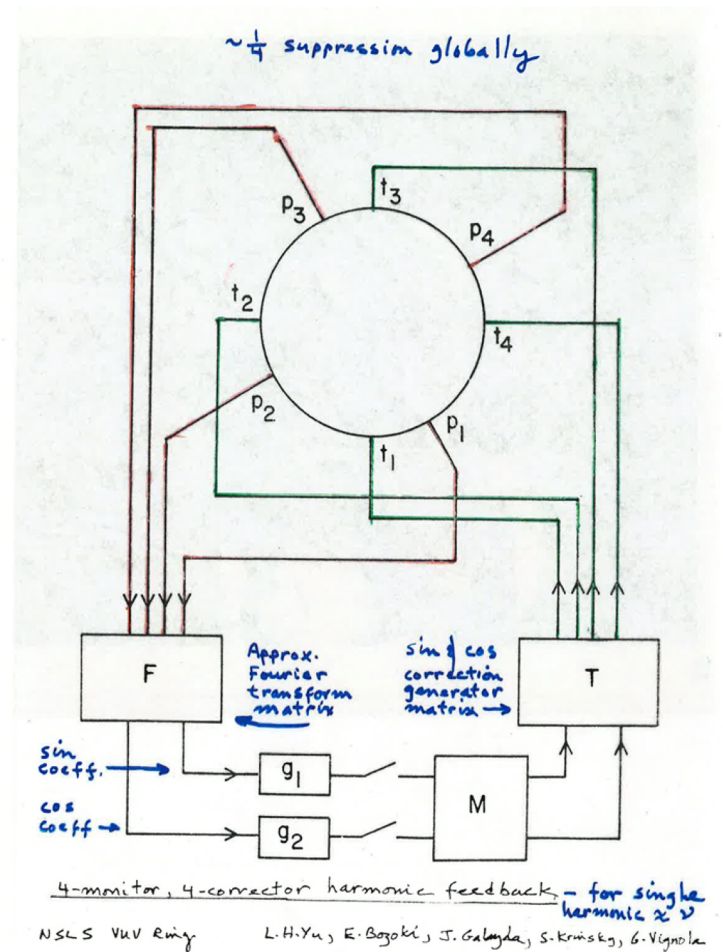
REAL TIME CLOSED ORBIT CORRECTION SYSTEM

L.H. Yu, R. Biscardi, J. Bittner, E. Bozoki, J. Galayda,
S. Krinsky, R. Nawrocky, O. Singh and G. Vignola
National Synchrotron Light Source
Brookhaven National Laboratory
Upton, New York 11973

PAC '91: 3 harmonics for X-ray ring

Real Time Global Orbit Feedback System for NSLS X-Ray Ring*

L. H. Yu, R. Biscardi, J. Bittner, A. M. Fauchet, S. Krinsky,
R. J. Nawrocky, J. Rothman, O. V. Singh, K. M. Yang



EPAC '92

Automatic Beamline Calibration Procedures*

W. J. Corbett,¹ M. J. Lee,² and Y. Zambre³

¹Stanford Synchrotron Radiation Laboratory, Stanford University, Stanford, CA 94309

²Stanford Linear Accelerator Center, Stanford University, Stanford, CA 94309

³Stanford Research International, 333 Ravenswood Avenue, Menlo Park, CA 94025

Abstract

Recent experience with the SLC and SPEAR accelerators have led to a well-defined set of procedures for calibration of the beamline model using the orbit fitting program, RESOLVE. Difference orbit analysis is used to

due to the development of RESOLVE. RESOLVE combines second-order beam transport principles with a numerical fitting routine and a user-friendly "point-and-shoot" environment for fitting model-predicted orbits to the measured data. The beamline calibration procedures

SPEAR Global Feedback

EPAC '94

Closed Orbit Feedback with Digital Signal Processing*

Y. Chung, J. Kirchman, F. Lenkszus, A. J. Votaw

Argonne National Laboratory, Argonne, IL 60439, U.S.A.

R. Hettel, W. J. Corbett, D. Keeley, J. Sebek, C. Wermelskirchen, and J. Yang
Stanford Linear Accelerator Center, Stanford, CA 94305, U.S.A.

Abstract

The closed orbit feedback experiment conducted on the SPEAR using the singular value decomposition (SVD) technique and digital signal processing (DSP) is presented.

....

1/e decay was approximately 0.25 second. This result implies ≈ 100 Hz correction bandwidth for the planned beam position feedback system for the Advanced Photon Source storage ring with the projected 4-kHz sampling frequency.

APS-U: 1 kHz BW with 22.6 kHz sampling rate

G. H. Golub and C. Reinsch, "Singular Value Decomposition and Least Squares Solutions," Numer. Math. **14**, pp. 403–420, 1970, and references therein.

PAC '93

Optimum Steering of Photon Beam Lines in SPEAR*

W. J. Corbett, B. Fong, M. Lee, V. Ziemann
Stanford Linear Accelerator Center
Stanford, CA 94309 USA

II. SINGULAR VALUE DECOMPOSITION

Global DC Closed Orbit Correction Experiments on the NSLS X-ray Ring and SPEAR*

Y. Chung, G. Decker, and K. Evans, Jr.
Argonne National Laboratory, Argonne, IL 60439

J. Safranek, I. So, and Y. Tang
Brookhaven National Laboratory, Upton, NY 11973

W. J. Corbett and R. Hettel
Stanford Linear Accelerator Center, Stanford, CA 94305

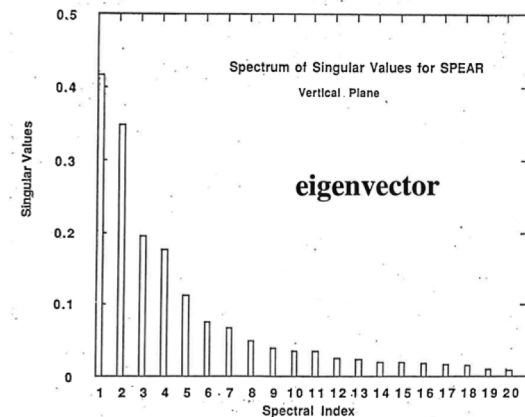
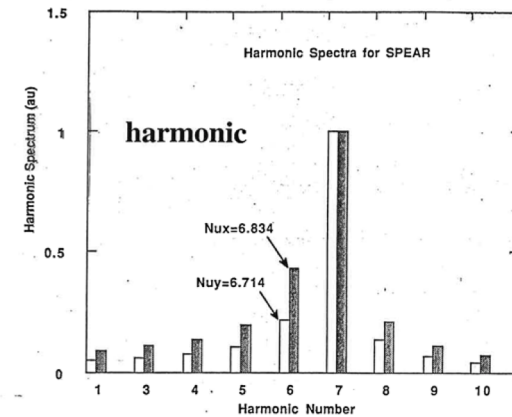
Harmonic vs. SVD orbit correction for SPEAR

W.J Corbett et al.

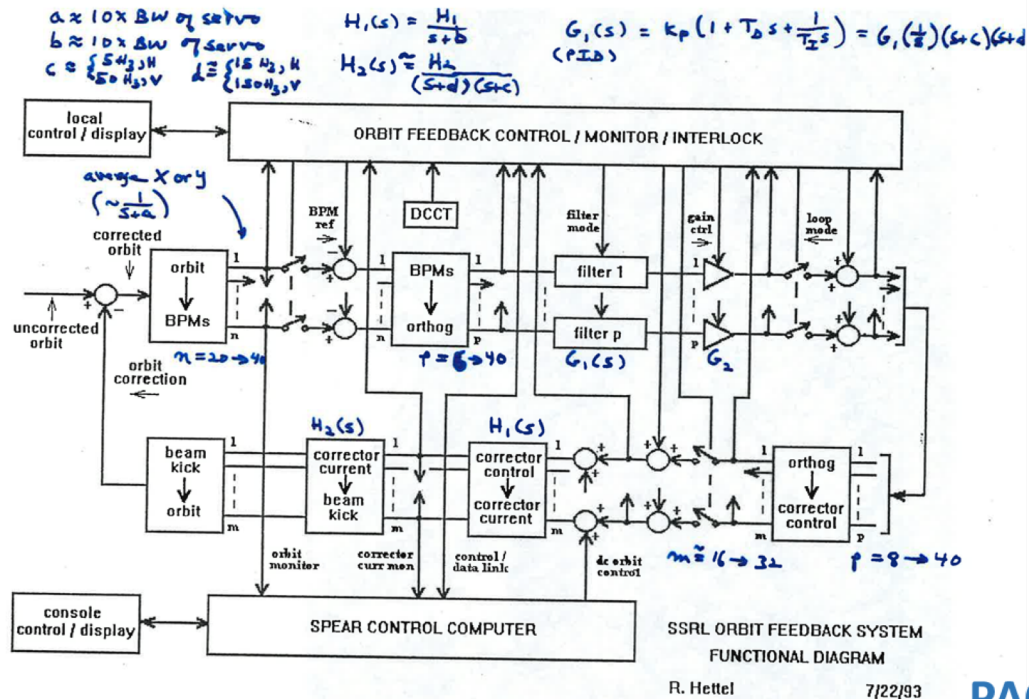
ORBIT CORRECTION

- 30 correctors per plane
- Horizontal: trim windings on main bend cores
=> hysteresis; ~2 Hz BW (with chamber)
- Vertical: trim windings on quad cores
=> hysteresis; 30 Hz BW (with chamber)
- Correction algorithms:
 - 1) Harmonic: 10 harmonics detectable (20 BPMs); uses ring model (h = 5,6,7,8 dominant)
 - 2) Eigenvector/SVD: 20 eigenmodes detectable; bypasses ring model

Both use corrector-BPM response matrix



SVD global orbit feedback for SPEAR



X-ray BPMs included with superposed local bumps

PAC '95

DIGITAL ORBIT FEEDBACK CONTROL FOR SPEAR*

R. Hettel, J. Corbett, D. Keeley, I. Linscott, D. Mostowfi, J. Sebek, and C. Wermelskirchen
 Stanford Synchrotron Radiation Laboratory, Stanford, CA 94309

The past and the future, not to mention the present

REVIEW OF SCIENTIFIC INSTRUMENTS

VOLUME 73, NUMBER 3

SRI 2001

Beam stability at light sources (invited)

R. O. Hettel^{a)}

SSRL, Stanford Linear Accelerator Center, Stanford, California 94309

- With stability requirements increasing by an order of magnitude, feedback systems on beam line components, such as the mirror-tilt feedback implemented at SSRL will become increasingly important.
- These might be integrated with accelerator stabilizing systems to maintain relative alignment between accelerator and experiment.
- New beam line technology, including adaptive optics and photon parameter monitors used to compensate for beam fluctuations, improved measurement methods (e.g., lock-in signal modulation and sample–sample signal normalization, and robust experiment design (i.e., where photon and experiment acceptance phase spaces are well-matched).
- Demands will increase even more for the next generation of diffraction limited light sources ($\varepsilon \sim 0.1$ nm-rad) which include storage rings, energy recovery linacs, and linac-driven free-electron lasers having 100 fs bunch lengths.
- **Integrated solutions are needed from both accelerator and beam line staff**